Helical Spin Order in SrFeO₃ and BaFeO₃

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Z. L. et al., PRB, 85, 134419 (2012) Z. L. et al., PRB, 86, 094422 (2012) 2013.2.12@GCOE symposium ,Kyoto University

Outline

- 1. Introduction
- 2. Motivation and Purpose
- 3. Helical spin order in BaFeO₃ by first principles and model calculation
- 4. Phase transition driven by pressure
- 5. Open question: Helimagnet under magnetic field
- 5. Conclusion

Cubic provskite *A*FeO₃

A²⁺ A=Ca, Sr, Ba

O²⁻

Fe⁴⁺ high valence 3d⁴

[A. E. Bocquet *et al.*, PRB **45**, 1561 (1992)] Coulomb interaction on Fe $U_{eff}=E(3d^5) + E(3d^3) - 2E(3d^4) - 7eV$

charge-transfer energy $\Delta_{eff} = E(3d^5L) - E(3d^4)$ ~ - 3eV

Fe

Α

negative Δ material

Zaanen-Sawatzky-Allen diagram [Can. J. Phys. 65, 1292 (1987)]



Introduction

Hallmark of AFeO₃ (A=Ca, Sr, Ba):Helical spin order and *p*-type metal, i.e. O2*p* electron makes main contribution to conductivity
In spherical coordinate, spin moment as :

$S_i = S(\sin\theta_i \cos\phi_i, \sin\theta_i \sin\phi_i, \cos\theta_i)$

For helical spin order, the constraint is:

 $\theta_i = \vec{q} \cdot \vec{r_i}$ $\phi_i = 0$ Propagating vector \vec{q} defined in reciprocal spaceA-type helical spin $\vec{q} = \phi(1,0,0)$ G-type helical spin $\vec{q} = \phi(1,1,1)$

cal spin $\bar{q} = \phi(1,1,1)$



Motivation and Purpose



N. Hayashi et al., Angew. Chem. Int. Ed. 50, 12547 (2011)

DFT calculation

• Helical spin order predicted by local spin density approximation plus Hubbard U (LSDA+U) with generalized Bloch boundary condition



DFT calculation

- The density of state (DOS) of FM state in BaFeO₃ is calculate by LSDA+U, U=3.0eV and J=0.6eV
- 1.O2*p* makes the main contribution to density around the Fermi Level
- 2. Half-metallic
- 3. The system can be simplified as conducting electron coupled to localized electron by Hund coupling





Model calculation

It is reasonable to understand the calculated result from the double exchange model.

$$H = H_{dp} + H_{SE}$$

$$H_{dp} = \sum_{j\alpha b} t_{\alpha b} (d_{j\alpha}^{\dagger} u_{j}^{\dagger} P_{jb} + P_{jb}^{\dagger} u_{j} d_{j\alpha}) + t_{pp} \sum_{j, b \neq c} P_{jb}^{\dagger} P_{jc}$$

$$+ \Delta \sum_{jb} p_{j+b/2}^{\dagger} P_{j+b/2},$$

$$P_{jb} = p_{j+b/2} + p_{j-b/2}$$

$$H_{SE} = J_{SE} \sum_{\langle ij \rangle} S_i \cdot S_j$$

$$S_j = S \left(\hat{z} \cos \mathbf{Q} \cdot \mathbf{x}_j + \hat{y} \sin \mathbf{Q} \cdot \mathbf{x}_j \right)$$

M. Mostovoy, Phys. Rev. Lett. 94, 137205 (2005)



Phase transition driven by pressure



Phase transition driven by pressure

• Lattice effect by calculation



Phase transition driven by pressure



Open question

magnetic phase diagram and electronic transport in helimagnet SrFeO₃ under external field



Conclusion

- 1. Both SrFeO₃ and BaFeO₃ present helical spin order at ambient pressure resulting from the competing double exchange between conducting electron and superexchange between localized electron, though the wave vector in BaFeO₃ is shorter because of weakened double exchange resulting from larger lattice parameter.
- 2. Ferromagnetic phase transition will happen in both SrFeO₃ and BaFeO₃ under high pressure because of enhanced hybridization